Lesson 2

Practice of Lesson 1	
Factor x^2 + 2 x + 1	
Simplify x^2 + 2 x + 1	
Solve 2x =6	
Using both methods used in class, give me the Square root of	
x^2 + y^2	
Lists and Matrix Form	
m={{a,b}, {c,d}}	
m // MatrixForm	
Equations	
For x =2, and y=3	
$\frac{ \mathbf{x}^2 - \mathbf{y}^3 - 4x}{3y^5} = \frac{5}{243} = 0.02$	
For $x = -3$, $y=2$, and $z = -2$	
$\sqrt{x^4y-z} + \frac{x-y^3}{z^2} = 2\sqrt{41} - \frac{11}{4} = 10.06$	



Why can't x1 not equal x2

Using "b" for the y intercept for the first point (x1, y1). Find a second point "e" for (x2, y2) and find the slope of the line.

Your answer should be in Y = mx + b

In order to use the above linear equation in Mathematica we need to use "Plot" function. Moreover a range should be specified to limit the x or y axis. Range is included inside the Plot function after your linear equation.

include only slope and y intercept for your linear equation in your code.

Plot[linear equation, Range{}]

Range is specified in the following format {x, -5, 5 }

Distance Formula

Letting (x_1, y_1) and (x_2, y_2) represent two points on the Cartesian plane, the distance between these two points may be found using the following formula, derived from the Pythagorean Theorem:

$$d = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$$

Using the following points from the previous graph (0,1)=b and (2,4)=e find the distance between these points.

Use mathematica to do this problem. Show code.

Midpoint Formula

Letting (x_1, y_1) and (x_2, y_2) represent two points on the Cartesian plane, the midpoint between

these two points may be found using the following formula, which finds the average of the two x-values and the average of the two y-values:

$$\left\langle \frac{x_1+x_2}{2}, \frac{y_1+y_2}{2} \right\rangle$$

Find the Midpoint for points "b" (0,1), "e" (2,4)

Use mathematica to do this problem. Show code.

Point-Slope Form of a Line

Given an ordered pair (x_1, y_1) and a real number *m*, an equation for the line passing through the point (x_1, y_1) with slope *m* is $y - y_1 = m(x - x_1)$. Note that *m*, x_1 , and y_1 are all constants, and that *x* and *y* are variables. Note also that since the line, by definition, has slope *m*, vertical lines cannot be described in this form.

Find the equation, in slope-intercept form, for the line which is parallel to this line and passes through the point (0, 4)

Use the slope found previously for this equation. Put the equation in Mathematica are the graphs the same.

Plot[{linear equation 1, linear equation2}, Range{}]